JOHANNES KEPLER UNIVERSITY LINZ



LIT AI LAB

Hamid Eghbal-zadeh

CP Lectures, Nov 24, 2020

















Some notes

There will be specific slides for taking questions





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A recording will be made available (Ask Alessandro!)



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Overview

- Introduction
- An analysis framework: Adversarial Robustness in Data Augmentation
 - Performance Analysis
 - Stress Analysis
 - Influence Analysis
- Analysis results for 3 popular augmentation methods



Introduction





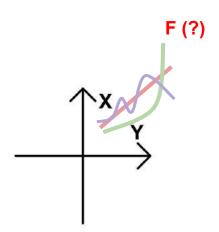






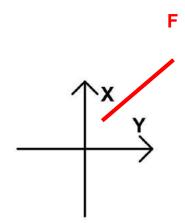










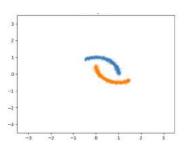






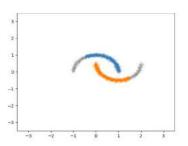






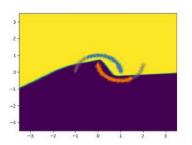






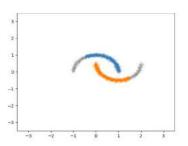






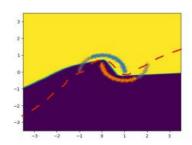














Data Augmentation: 1) Domain expert











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Data Augmentation: 2) Combining existing data









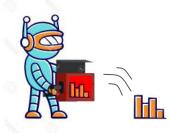


Data Augmentation: 3) Generative models







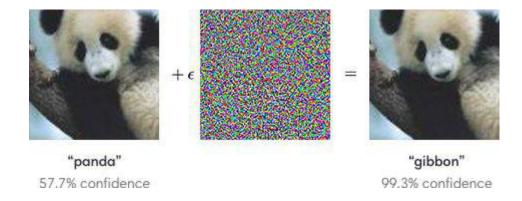












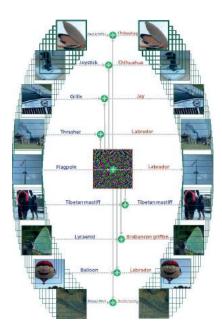














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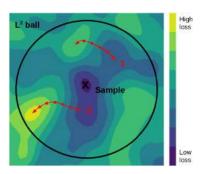
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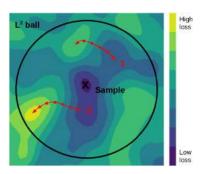
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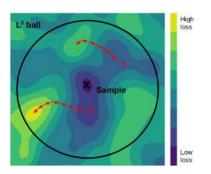
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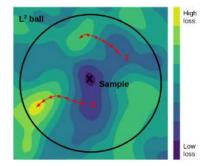
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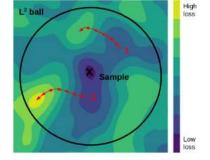
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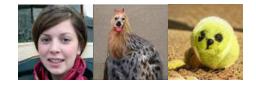


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3. Generative models (GANs): Conditioning a generative model on labels.





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- We provide a new measure known as prediction-change stress, and show that this property is related to the adversarial vulnerability of models.
- We use Influence functions to examine how much influence models have from real and augmented data



Formal Definition of Data Augmentation

Data Augmentation - Formal definition

A random function $A: (\mathcal{X} \times \mathcal{Y})^s \to \{X \times Y: \mathcal{X} \times \mathcal{Y} \to \mathbb{R}^d\}^r$ is an **Augmentation**, if it maps a sample $S = ((\mathbf{x}_1, l(\mathbf{x}_1)), \dots, (\mathbf{x}_s, l(\mathbf{x}_s))) \in (\mathcal{X} \times \mathcal{Y})^s$, with measure P_X on \mathcal{X} , and labeling function $l: \mathcal{X} \to \mathcal{Y}$, to some vector $A(S) = (X_1 \times Y_1, \dots, X_r \times Y_r)$ of independent random vectors $X_1 \times Y_1, \dots, X_r \times Y_r: \mathcal{X} \times \mathcal{Y} \to \mathbb{R}^d$ with measure $P_{X_I \times Y_I}$ on $\mathcal{X} \times \mathcal{Y}$ and marginal measure P_{X_I} dominating P_X .



Data Augmentation - Formal definition

By this definition, an augmented sample $\tilde{S}=((\tilde{\mathbf{x}}_1,\tilde{y}_1),\dots,(\tilde{\mathbf{x}}_s,\tilde{y}_s))$ can be obtained from a sample $S\in(\mathcal{X}\times\mathcal{Y})^s$ by observing the random variable A(S).

The assumption P_{X_I} dominating P_X ensures data augmentations take the original sample into account, i.e. if $P_X(D) > 0$ then also $P_{X_I}(D) > 0$ for any measurable D.



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- 1. **Performance analysis**: where we look at the effect of data augmentation on classification performance and adversarial robustness.
- 2. **Stress analysis**: where we analyse how the predictions of a model under adversarial attacks, is affected by the augmentation.
- 3. **Influence analysis**: where we look at how much a model relies on augmented training samples when predicting on the real test examples and their adversarial counterparts.



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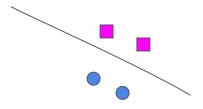


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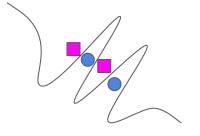
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 - with epsilon=0.25 and 0.5
 - 10 and 100 iterations



Boundary 1:

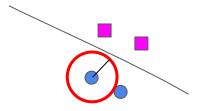


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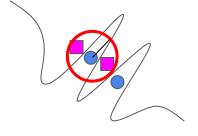




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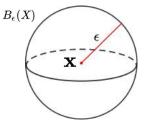


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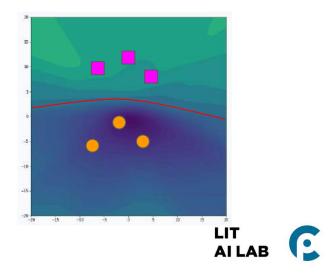
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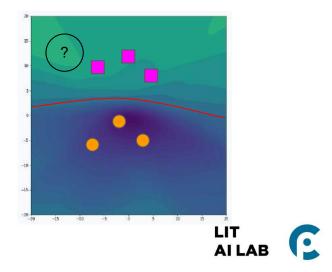
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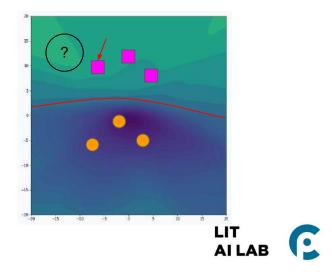
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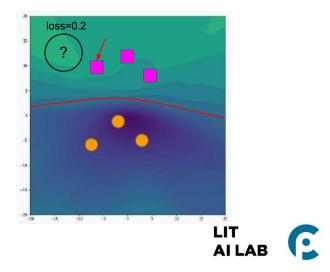
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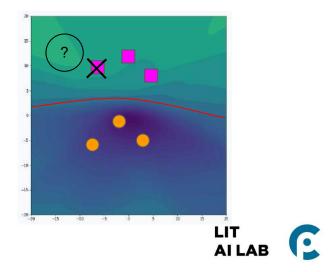
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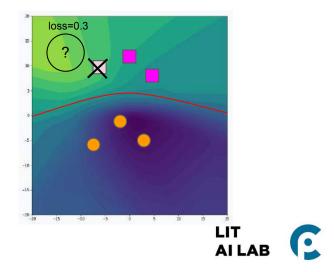
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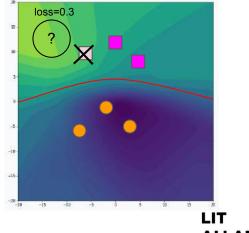


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Influence => 0.3 - 0.2 = +0.1



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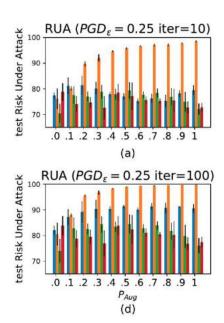
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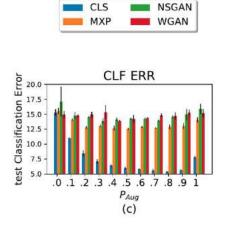


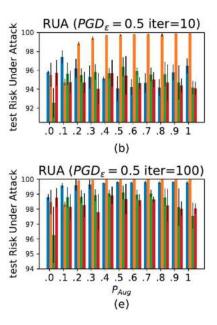




Classification and Adversarial Risk:

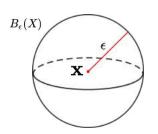


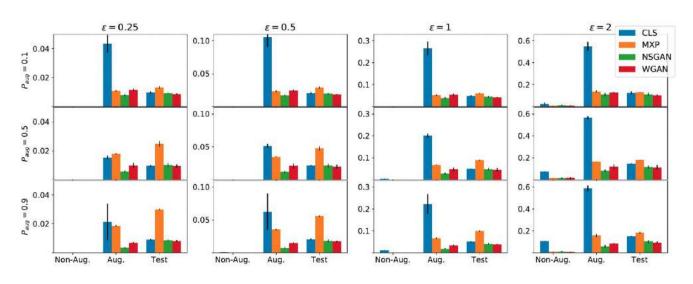




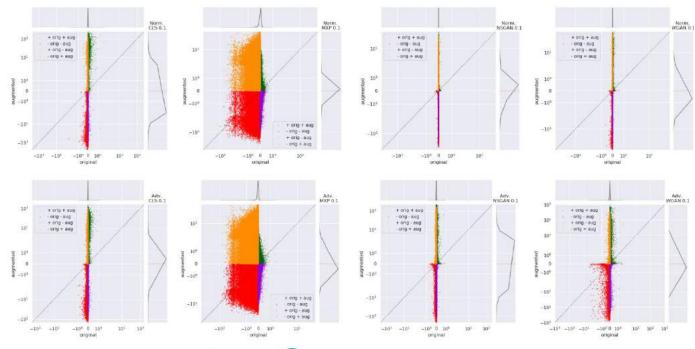


Stress analysis

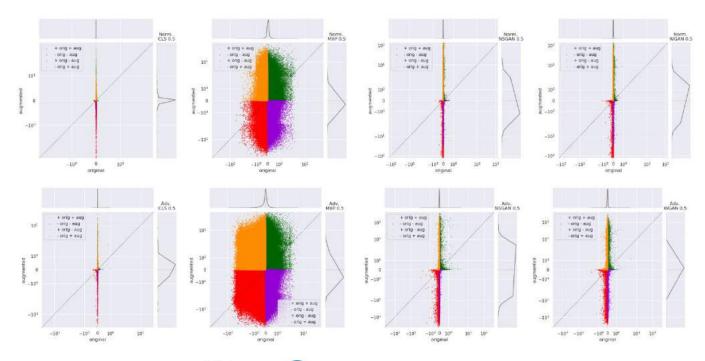




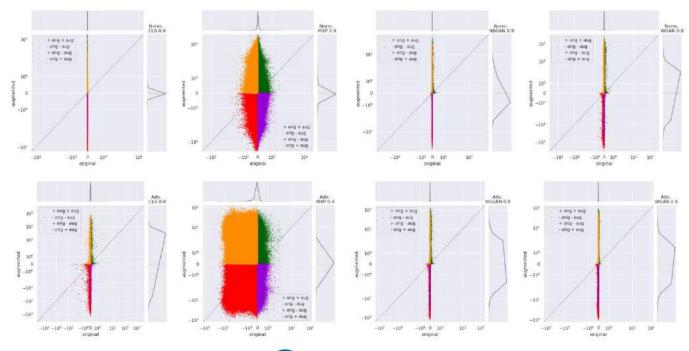






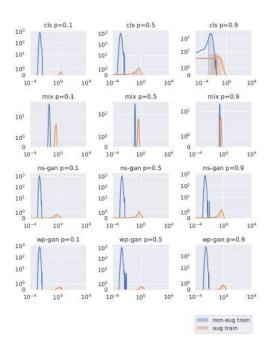


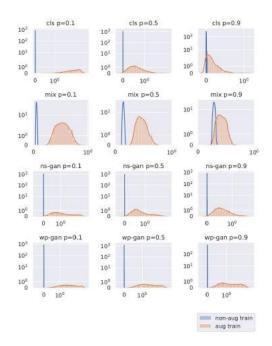




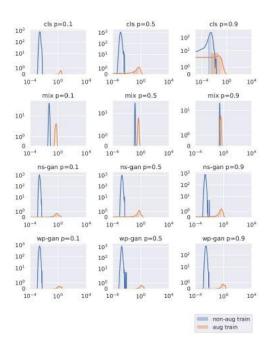


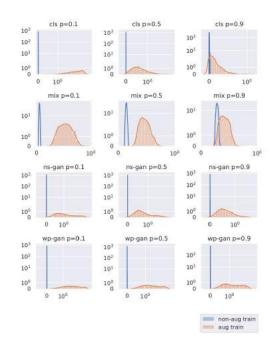
$$\widehat{I}(\mathbf{x}, \mathbf{x}_{\text{test}}) := -\nabla_{\theta} L(f_{\widehat{\theta}}(\mathbf{x}_{\text{test}}), l(\mathbf{x}_{\text{test}}))^{\top} H_{\widehat{\theta}}^{-1} \nabla_{\theta} L(f_{\widehat{\theta}}(\mathbf{x}), l(\mathbf{x})),$$





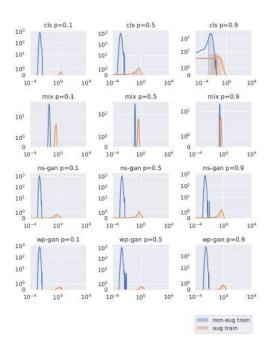


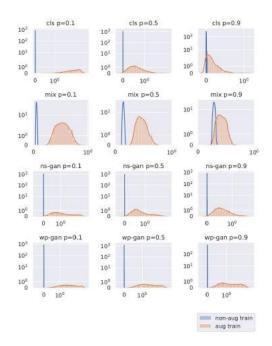




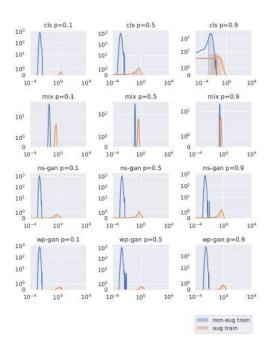


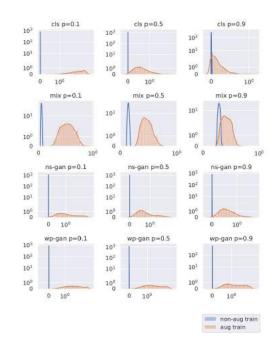
$$\widehat{I}(\mathbf{x}, \mathbf{x}_{\text{test}}) := -\nabla_{\theta} L(f_{\hat{\theta}}(\mathbf{x}_{\text{test}}), l(\mathbf{x}_{\text{test}})) \mathbf{y}_{\hat{\theta}}^{-1} \nabla_{\theta} L(f_{\hat{\theta}}(\mathbf{x}), l(\mathbf{x})),$$







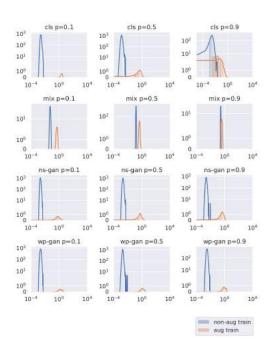


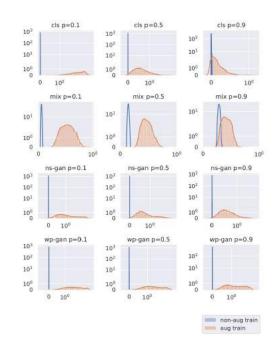






$$\widehat{I}(\mathbf{x}, \mathbf{x}_{\text{test}}) := -\nabla_{\theta} L(f_{\widehat{\theta}}(\mathbf{x}_{\text{test}}), l(\mathbf{x}_{\text{test}}))) \int_{\widehat{\theta}}^{-1} \nabla_{\theta} L(f_{\widehat{\theta}}(\mathbf{x}), l(\mathbf{x})),$$







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- We analysed the decision boundary of models using the proposed prediction-change stress and showed that non-robust augmentations result in higher stress around test examples.
- We analysed the influence of augmentation on models, and showed that models get more influenced by augmented data.



Collaborators

Hamid Eghbal-zadeh

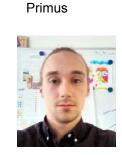


Khaled Koutini



Institute of Computational

Verena Haunschmid



Paul

Michal Lewandowski

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Werner Bernhard Zellinger Moser



Gerhard

Widmer

LIT AI LAB



LIT

AILAB



Institute of Computational Perception

















[1] On Data Augmentation and Adversarial Risk: An Empirical Analysis

Hamid Eghbal-zadeh, Khaled Koutini, Paul Primus, Verena Haunschmid, Michal Lewandowski, Werner Zellinger, Bernhard A. Moser, Gerhard Widmer arXiv preprint arXiv:2007.02650., 2020.

[2] Adversarial Robustness in Data Augmentation

Hamid Eghbal-zadeh, Khaled Koutini, Paul Primus, Verena Haunschmid, Michal Lewandowski, Werner Zellinger, Gerhard Widmer Towards Trustworthy ML: Rethinking Security and Privacy for ML, ICLR 2020 Workshop (talk), 2020.

Thank you!

- https://www.jku.at/en/institute-of-computational-perception/news-media-events/cp-lectures/
- https://eghbalz.github.io/
- hamid.eghbal-zadeh@jku.at



Welcome to Q&A!